## Exam ONE, MTH 211, Spring 2010

Ayman Badawi

QUESTION 1. State clearly the five axioms of Euclidean Geometry.

QUESTION 2. Draw two Circles, Say $C_{1}$ and $C_{2}$, such that $C_{1}$ is orthogonal to $C_{2}$ ( $C_{1}$ is perpendicular to $C_{2}$. STATE THE STEPS NO NEED FOR MATH JUSTIFICATION.

QUESTION 3. Draw a line segment $a b$. Now divide the line segment into 3 equal parts. State the steps no need for math justification.

QUESTION 4. Draw a line segment ab of length 8. Now use unmarked ruler + a campus + marked ruler (only once) to construct a line segment of length $\sqrt{15}$. STATE the steps no need for math justification.

QUESTION 5. Let $a b$ be a line segment of length 2 cm . Extend the line segment ab at b to a point c so that the new line segment ac has $b$ as the golden cut. State the steps no math justification is needed.

QUESTION 6. Let $K_{1}=2, K_{2}=1$ and $K_{n}=3 K_{n-1}+10 K_{n-2}$.
(i) Find $K_{4}$.
(ii) Find a general formula for $K_{n}$
(iii) USE (2) to find $K_{1} 0$.
(iv) Let $R_{n}=K_{n+1} / K_{n}$. Find $R_{3}$. To what value does $R_{n}$ converge to.

QUESTION 7. (EXTRA CREDIT 3 points). What is the name of your instructor and what is the course number? We meet on $\mathrm{Su}, \mathrm{Tu}$, Th at 11 am in which room? What are the office hours of your instructor? (Answer: MUST BE EXACT as in the syllabus)? so now how do you feel about yourself (Good or Bad)?

## Faculty information

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